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**NAME**

Bkaufman, Bmitra – Erlang blocking probabilities for multiple traffic classes

**SYNOPSIS**

**#include <erlang.h>**

**double Bkaufman(int j, int J, int C, int \*d, double \*a);**

**double Bmitra(int j, int J, double C, int \*d, double \*a);**

**DESCRIPTION**

These functions give the blocking probability for a traffic class  $j$ , ( $1 \leq j \leq J$ ), from number of classes  $J$ .  $C$  is the total capacity of the link. Each traffic class is characterized by its bandwidth.  $d[j]$  is a pointer to the list of these values.  $a[j]$  is a list of traffic intensities for each class.

The difference in these functions is in the implementation. **Bkaufman()** is implemented using the Kaufman and Roberts recursion formula:

$$B_{sub k} = \sum_{d=C-d_{sub k}+1}^C Q(d) / \sum_{d=0}^C Q(d)$$

where  $Q(d)$  is defined as

$$Q(d) \sim \sum_{k=1}^K a_{sub k} d_{sub k} Q(d - d_{sub k})$$

and  $Q(0) = 1$ . For negative arguments  $Q = 0$ .

This function is useful for small values of  $C$ , but can't handle much larger values without overflowing. Evaluation time for this function increases as  $C$  increases.

**Bmitra()** is the Poisson limit approximation to the same function and has accuracy of 1.2 %. This function has relatively constant evaluation time. Newton's method is used to find the value of  $z$ , which is needed in function. When  $z = 1$  this function has a singularity.

**BUGS**

**Bkaufman()** overflows very easily, especially with many classes.

**SEE ALSO**

Berl\_i(3), Berl\_d, Xerl(3), Aerl(3)