

Problems 2 and 4 are homework exercises. Mark the problems you have solved in the beginning of the exercise class.

1. *Demo*

Consider the following simple circuit switched trunk network. There are three nodes connected in a tandem by two links: $a - b - c$. Each link has capacity of 2 channels. In addition, there are three traffic classes:

- Class 1 uses link $a - b$
- Class 2 uses link $b - c$
- Class 3 uses both link $a - b$ and link $b - c$

Determine the state space of this system. Furthermore, determine the blocking states for each class separately.

2. *Homework exercise (2 points)*

Consider still the circuit switched trunk network defined in the previous problem. Assume that, for each class r , new calls arrive according to a Poisson process at rate λ_r . Let $\lambda_1 = \lambda_2 = 1/3$ calls per minute and $\lambda_3 = 2/3$ calls per minute. Call holding times (for all classes) are assumed to be independently and identically distributed with mean $h = 3$ min. Compute the end-to-end blocking probabilities for each class using both the exact formula and the approximative Product Bound method.

3. *Demo*

Consider a connectionless packet switched trunk network with three nodes connected to each other as a triangle. Each node pair is connected with two one-way links (one in each direction) of capacity 155 Mbps. The following five routes are used in this network:

- Route 1: $a \rightarrow b$
- Route 2: $a \rightarrow c \rightarrow b$
- Route 3: $a \rightarrow c$
- Route 4: $c \rightarrow b$
- Route 5: $b \rightarrow a$

For each route, new packets arrive according to an independent Poisson process with intensities $\lambda(1) = 20$, $\lambda(2) = 10$, $\lambda(3) = \lambda(4) = \lambda(5) = 5$ packets per ms. The packet lengths are independent and exponentially distributed with mean 400 bytes. Draw a picture describing this queueing network model. Compute the traffic loads for each link j . In addition, compute the average end-to-end delays for each route r .

4. *Homework exercise (1 point)*

Consider the queueing network model defined in the previous problem. Assume now that the connection between nodes a and b breaks down so that the packets following route 1 ($a \rightarrow b$) are rerouted to route 2 ($a \rightarrow c \rightarrow b$) and the packets following route 5 ($b \rightarrow a$) are rerouted to a new route 6 ($b \rightarrow c \rightarrow a$). Compute the new average end-to-end delays for each route r .